

# **Fuzzy control of brush motor - problems of computing**

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*Abstract: This paper deals with the problem of fuzzy control of universal motors and with the application of microcontrollers and minimum electronic (buck converter). The article discusses the issues of realizing the program neighborhood.*

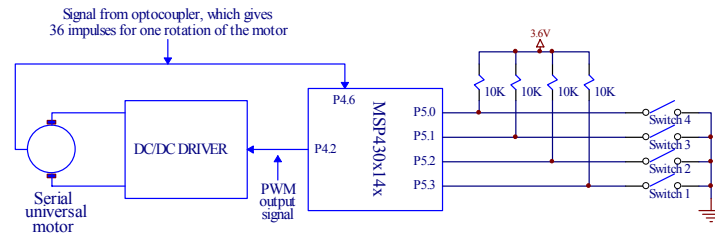
*Keywords: Fuzzy logic, brush motor, speed control, computations problems, microcontroller realization*

## **1 Why fuzzy logic control?**

The rotation speed control of serial universal motors is very complicated with traditional control technique, because it requires the mathematical model of control object, which is very complex. Therefore, it is simpler to solve this problem with fuzzy logic which doesn't require it [1]. We have used fuzzy for cheap brush motors and got exceptionally good performances, similar to servo motor applications [2] and we have built in even industrial environments. In concrete (specific) industrial applications we had some delicate problems we could not solve with the application of classic PID control (for example, when we were making a mechanic ballance equipment and when we had to control the rpm of brush motors in the neighborhood of mechanical resonance with changing rpm elements which had unknown torque values, resonant frequencies debalance values - in order to avoid the breakdown of the equipment), so we used a modified version of fuzzy (neuro-, genetic-,...) control [3], [4]. We used DSP technology for this case.

## 2 Short description of hardware

Signal which controls the rotation speed of the motor is a PWM signal. It is led to the input of the DC/DC driver which moves the brush motor (figure 1).



**Figure 1.** Blok diagram of realized fuzzy control system

Our aim was to make a system with minimum driver with relation to the full bridge. In case of a full bridge solution we have an electronically-controlled braking, however, the buck converter solution has an uncontrolled braking which is obtained mechanically. The effect of uncontrolled braking on the control of rpm can be easily seen by comparing Figures 2 and 3.

The feedback signal for the fuzzy control system provides an opto-coupler. It has 24 equally positioned gaps. So it generates 24 impulses for a whole rotation of the motor. We get information about the speed rotation from measuring the time passed between two successive impulses.

## 3 Short description program

The parameters which define the behaviour of the system are:

```
#define PWM_Period 3999 ;The frequency of PWM is: 1/(8E+6*(3999+1))=2KHz
#define PWM_Max 2800 ;Determins the minimum duty factor of PWM signal
#define PWM_Min 3850 ;Determins the maximum duty factor of PWM signal
```

**PWM Period:** The value of the constant PWM\_Period defines the frequency of the PWM signal based on the formula:

$$f_{\text{PWM}} = \frac{8000000}{\text{PWM\_Period} + 1} \quad (1)$$

To be more accurate in control of the rotation speed we need higher resolution which means lower frequency of the PWM signal. On the other hand, for regular work of the DC-DC driver, the frequency of the PWM signal mustn't be too low. Experience proved that the value 3999 for PWM\_Period satisfies both conditions.

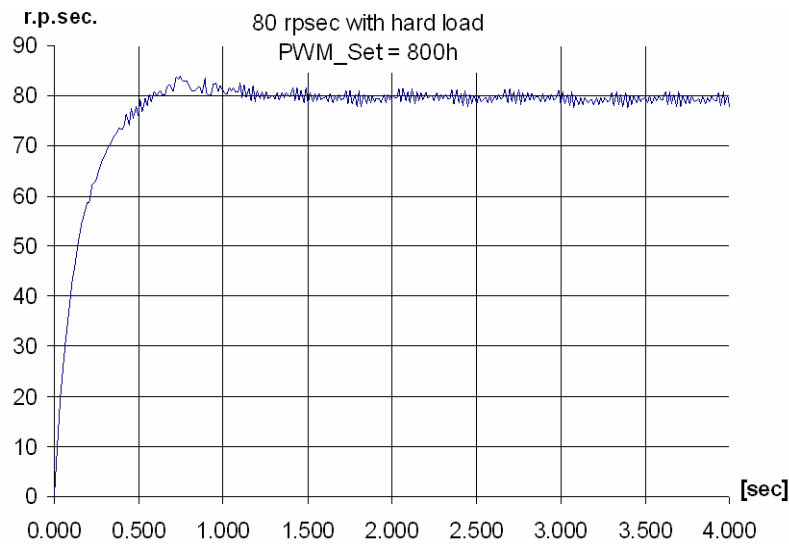
Based on the results of defuzzification the new value for duty factor of PWM signal is obtained by:

$$\text{New\_PWM\_Set} = \text{Old\_PWM\_Set} - \text{Defuz} \quad (2)$$

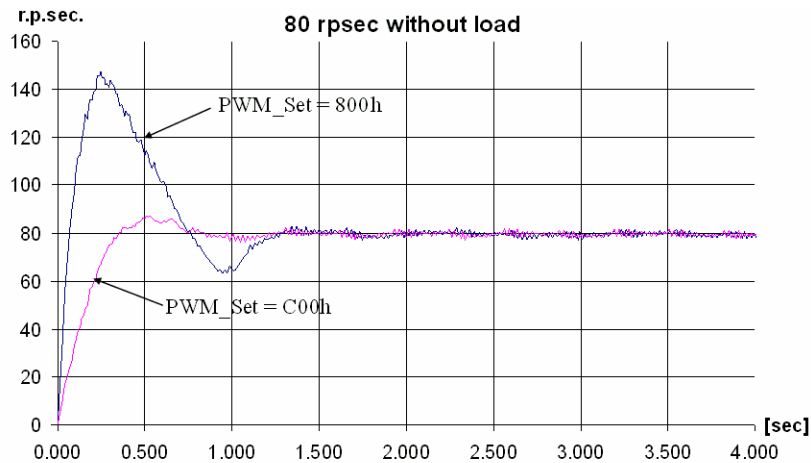
PWM\_Set belongs to range [0, 1, ... ,PWM\_Period]. Its value defines the moment of setting the PWM signal. If the value of PWM\_Set is lower, the duty factor will be higher and vice versa.

In case the rotation speed of the motor is higher than the desired, the defuzzification process results in negative value (Defuz < 0), which according to eq. (2) gives a lower duty factor, so the rotation speed of the motor will be decreased.

**PWM\_Max, PWM\_Min:** The program is written the way that at the moment of start-up PWM signal has the duty factor PWM\_Max, to reach the desired speed faster. The duty factor remains PWM\_Max while Error < -C00h. On the other hand, if the rotation speed of the motor is too high (Error > C00h) the duty factor becomes PWM\_Min. It means that the fuzzy logic regulation is active only when the error in rotation speed belongs to boundaries [-C00h, C00h]. Figures 2 and 3 shows the reactions of the motor as a function of time to Hevisaid excitation when the desired speed is 80 rpsec.



**Figure 2.** RPM values when the motor is heavily loaded and PWM\_Max = 800h.



**Figure 3.** RPM values when the motor is not loaded and PWM\_Max = 800h and PWM\_Max = C00h

Figure 3 shows the case when the motor is not loaded and PWM\_Max = 800h and PWM\_Max = C00h. Figure 7 for the case PWM\_Max = 800h shows significant excess in the moment of start-up while for PWM\_Max = C00h it doesn't appear. It happens because the constant value PWM\_Max determines the power of the motor. It means that when PWM\_Max is small (the duty factor is high) and the load small, the motor gets too much acceleration in the start-up moment which leads to a significant excess in speed value. This problem is solved by increasing the value PWM\_Max, as it is shown on Figure 3, when PWM\_Max = C00h. In the other case when the duty factor is small (PWM\_max high) and the load is heavy, the speed cannot reach the desired value because the motor has no enough power.

## 4 Problems occurred during programming

### 4.1 Division of speed control range

During the realization of the fuzzy logic regulation it turned up that the division of speed control range is necessary. The ranges we got are:

1. 15–40rpsec.
2. 40 - 120 rpsec.

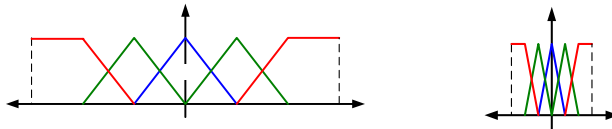
The same parameters which give excellent results in speed control less than 40 rpsec(rotation per second), for higher rpsec the oscillations in speed value rises as the desired speed value grows. This kind of behaviour is a logical consequence of

rotation speed measuring method. Number of impulses generated by TimerB are counted between two gaps on the encoder as the rotor revolves. If the motor rotates slower, TimerB can counts up to some higher value. If the rotation speed is 20rpsec, TimerB counts up to 823h, for 40 rpsec to 411h and for 80rpsec to 208h. The resolution is decreased in higher speed control range.(the relative error is four times higher for one impulse at 80 rpsec than at 20 rpsec). To avoid this problem at higher speeds impulses are counted between 8 gaps. Then the number of impulses for 80rpsec is  $208h \cdot 8 = 1040h$ . The speed measuring accuracy is increased which allows smoother control at higher speed. This change allows speed control up to 120 rpsec.

The problem which occurs with speed measuring slower than 40 rpsec counting impulses between 8 gaps to simplify the program is the increase of the measuring time which causes significant oscillations around the desired value.

#### 4.2 Problems with implementing fuzzification algorithm

There are two input values for fuzzy control. Error in current speed value and the differential of error in current speed value. The two input values need two different membership function. Practical analysis showed that the membership functions presented on figures 8 and 9 give the best results in speed control.



**Figure 4.** Membership functions of Error and ErrorDiff

The algorithms for fuzzyfication Error and ErrorDiff input values are identical but their parameters are different. A simple solution would be to write the same algorithm twice with different parameters, but there is a question: how to save in using flash memory or in other words: is it possible to use one algorithm with same parameters for both input values. If we notice that multiplying the input value ErrorDiff with 16 (or shifting right for four binary places) and using the membership function of the input value Error gives the same result as ErrorDiff with its own membership function, then the problem of fuzzyfication can be solved using half of the memory resources.

### 4.3 Amount of necessary flash memory for the operation of dividing in assembler

In the process of defuzzification the centroid calculation method is applied using eq. (3):

$$\text{Defuz} = \frac{\sum_{i=1}^5 Y[i] \cdot \text{multfact}[i]}{\sum_{i=1}^5 Y[i]} \quad (3)$$

Microcontroller MSP430x14x owns a 16-bit hardware multiplier which can be used for dividing applying Q15 format. The needed amount of flash memory for storing numbers in Q15 format depends on the range of the sum  $\sum_{i=1}^5 Y[i]$ . If the membership function is given on figure 8 and if Zadeh max-min relations are used for fuzzy inference, which range of numbers presented in Q15 format has to be saved in the memory?

In the first approximation, range of numbers which would certainly contain all the possible result of  $\sum_{i=1}^5 Y[i]$  is from 0 to 800h. The lower limit is certainly greater or equal to zero because the sum of five nonnegative number is always greater or equal to zero. The upper limit is certainly less or equal to 800h because the output vectors of fuzzyfication contain up to two nonnegative numbers with maximum value of 400h.

Is it possible to reduce this range to save memory? Experimental results indicate that it can be reduced. Figure 5 shows 500 successive recorded values of the sum to the flash memory of the microcontroller.

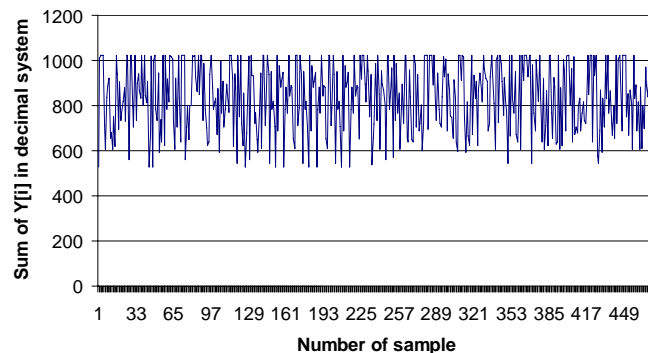


Figure 5. Sum value presentation in memory domain

According to graph on figure 5 the sum never goes out of range [512(200h), 1024(400h)]. Can it be proved mathematically?

**1.Let**

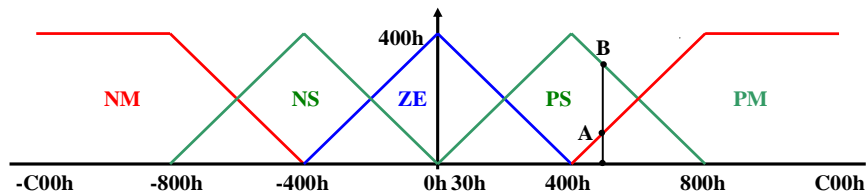
$$X_1 = [0, 0, X_{11}, X_{12}, 0] \wedge X_{11} + X_{12} = 400h \wedge X_{21} + X_{22} = 400h.$$

$$X_2 = [0, 0, X_{21}, X_{22}, 0]$$

If  $X_{11}, X_{21} \in [200h, 400h] \wedge X_{11} > X_{21}$  then

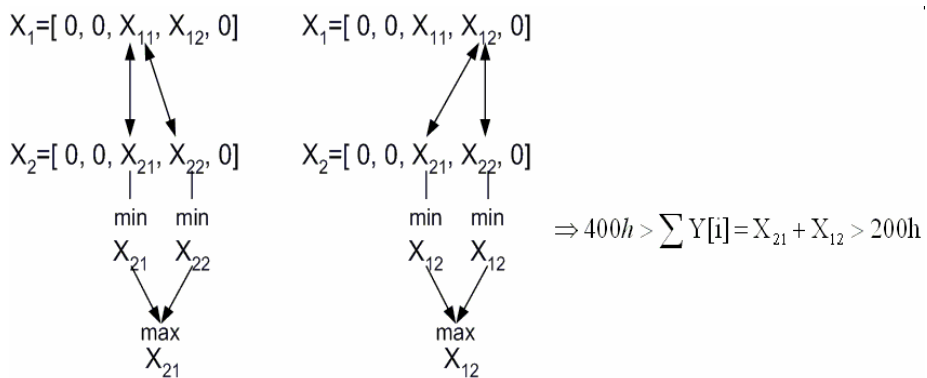
$X_{12} < X_{22}$  then

$$\sum_i Y[i] = A, \quad 400h \geq A \geq 200h$$



**Figure 6.** Representing a pair of values A and B

The equations  $X_{11}+X_{12} = 400h$  and  $X_{21}+X_{22} = 400h$  are always true (In our case the sum of the input membership function A+B for every input value will be 400h as it is presented on figure 6), because of the shape and position of input membership functions. Then:



**Figure 7.** Represent calculation of Let 1.

The position of the elements  $X_{11}$  and  $X_{12}$  in vector  $X_1$  is unimportant for proof because the result of max-min approximation will be the same.

**2. Let**

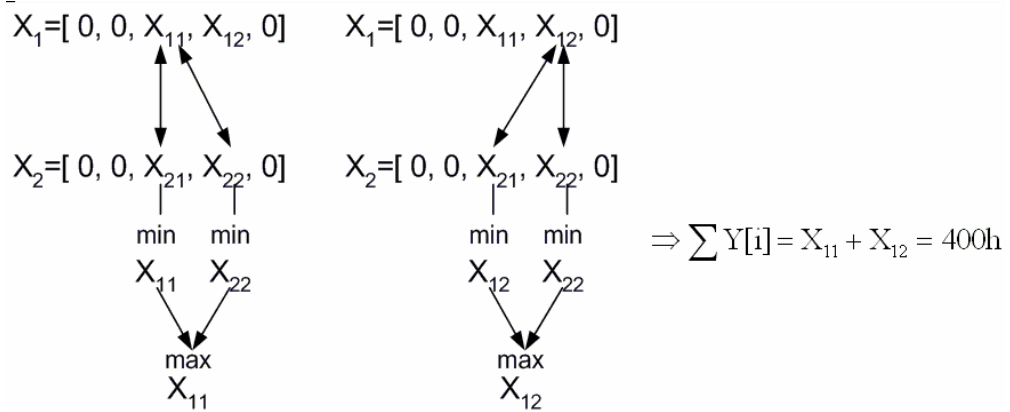
$$X_1 = [0, 0, X_{11}, X_{12}, 0] \wedge X_{11} + X_{12} = 400h \wedge X_{21} + X_{22} = 400h.$$

$$X_2 = [0, 0, X_{21}, X_{22}, 0]$$

If  $X_{11}, X_{21} \in [200h, 400h] \wedge X_{11} < X_{21}$  then

$X_{12} > X_{22}$  then

$$\sum_i Y[i] = 400h.$$



**Figure 8.** Represent calculation of Let 2.

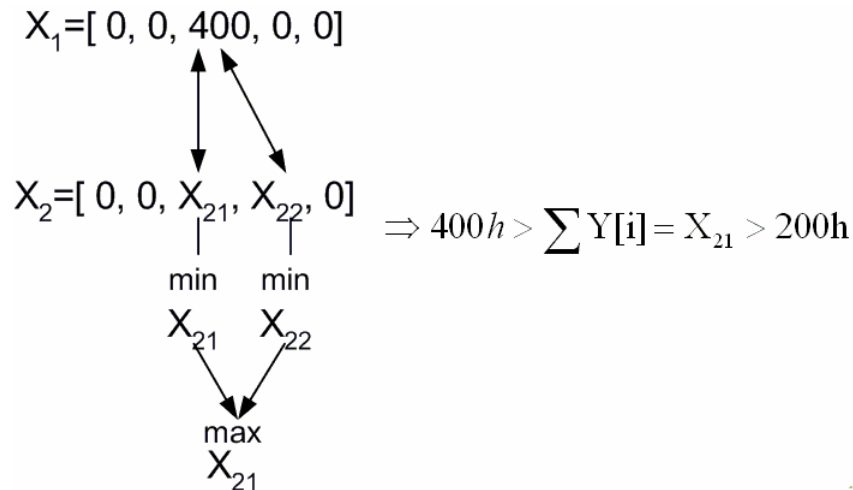
**3. Let**

$$X_1 = [0, 0, X_{11}, 0]$$

$$X_2 = [0, 0, X_{21}, X_{22}, 0] \wedge X_{11} = 400h \wedge X_{21} + X_{22} = 400h.$$

If  $X_{21} \in [200h, 400h]$  then  $\sum_i Y[i] = A, 400h \geq A \geq 200h.$





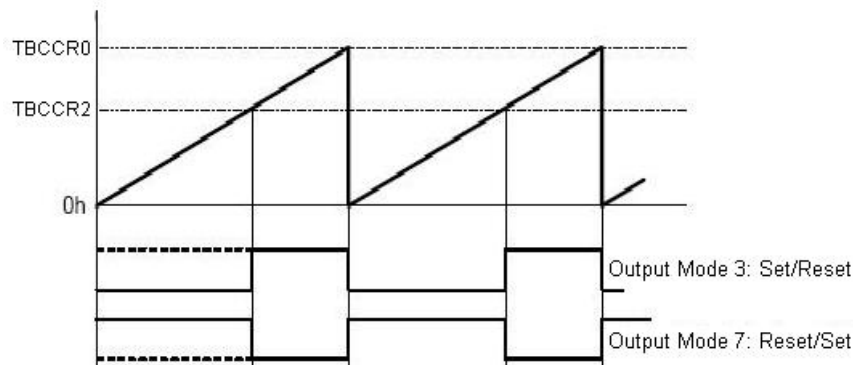
**Figure 8.** Represent calculation of Let 3.

All the possible values of vectors  $X_1$  and  $X_2$  are covered in this proof, therefore the sum of elements of  $Y$  vector is always in boundaries from 200h to 400h. It means that 512 values are enough for the operation of dividing. Every number presented in format Q15 is size of 2 byte, so the necessary amount of flash memory is only 1Kbyte.

#### 4.4 Problems with PWM output of MSP430F148

Timer\_B of the microcontroller is used for the PWM signal generating which controls the rotation speed of the motor through the DC-DC driver. The value of register TBCCR0 determines the period of the PWM signal while the value of register TBCCR2 determines its duty factor. In C program OUTMOD\_7 was firstly used for generation the PWM signal whose function is showed on figure 9. The next few lines are taken from C program code which sets up the Timer\_B.

```
//      Setup      Timer_B      for      PWM      generation
TBCCR0 = PWM_Period;      //      PWM      Period
TBCCR2 = PWM_Max;      //      PWM      Duty      Cycle
TBCCTL2 = OUTMOD_7;
```



**Figure 9.** Selection output mode in PWM signal generations

When the program was tested an interesting problem appeared. While the motor was revolving a quiet knocking sound was present which caused significant oscillations in rotation speed. The cause of this problem was that the PWM signal was set for a whole period in random moments without any apparent reason. According to algorithm this situation couldn't happen. To solve this problem we reversed the logic of generating PWM signal from OUTMOD\_7 to OUTMOD\_3 and the problem vanished. The only conclusion for this behaviour remained that an error has been made in the hardware of OUTMODE\_7 of the microcontroller.

### Conclusions

Based on the above, we can conclude that by using a simple construction (brush motor, buck converter, microcontroller and simple fuzzy algorithm) we obtain a system which has acceptable responses on the Heaviside's excitation without the need of adaptation to a wider range of load and rpm.

### References

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